

### Further Maths intent statement

### Year 12:

Half term 1	Half term 2	Half term 3	Half term 4	Half term 5	Half term 6
Algorithms	Argand diagrams	Linear Programming	Roots of Polynomials	Revision	Further Algorithms on
Graphs and networks	Series	Game Theory	Vectors		Networks
Algorithms on	Route inspection	Allocation	Volumes of		Further Route
networks	Flow	Linear	revolution		Inspection
Critical path analysis		transformations			Travelling Salesman
Complex numbers		Proof by induction			Simplex Algorithm
Matrices					

#### Year 13:

Half term 1	Half term 2	Half term 3	Half term 4	Half term 5
Further Flows in	Complex Numbers	Differential equations	Modelling with	Revision
Networks	Series	Polar coordinates	differential equations	
Transportation	Volumes of		Methods in calculus	
Dynamic	revolution		Hyperbolic	
Programming	Hyperbolics		integration	
Further Allocation				
Further Game Theory				
Decision analysis				



Y12	Unit	Students will learn about:	
	Algorithms	The idea of an algorithm	
		Bubble sorts, quick sorts and bin packing	
		The order of an algorithm	
	Graphs and networks	The language associated with graphs and networks	
		<ul> <li>Using matrices to represent graphs and networks</li> </ul>	
		<ul> <li>Planar graphs and the planarity algorithm</li> </ul>	
erm 1	Algorithms on networks	Prim's and Kruskal's algorithms for finding a minimum	
		spanning tree	
		<ul> <li>Dijkstra's algorithm for finding a shortest path</li> </ul>	
	Critical path analysis	• Precedence tables and activity networks including the use of	
		Dummies	
llf t		Early and late event time	
На		Critical events, critical activities, critical paths and float	
		Gantt (cascade) charts, resource histograms and scheduling	
		diagrams	
	Complex numbers	<ul> <li>The definitions of imaginary and complex numbers</li> </ul>	
		To perform the 4 operations on complex numbers including	
		learning about the complex conjugate	
		To solve cubic or quartic equations that have complex roots	
	Matrices	The definition of a matrix	
		• To add, subtract and multiply matrices including the conditions	
		for the calculations and to multiply a matrix by a scalar	
Half term 2	Argand diagrams	What an Argand diagram is	
		• To represent complex numbers, loci and regions on a n Argand	
		diagram	
		About the modulus argument form of a complex number	
	Series	The standard results for summation and how to apply them	
	Route inspection	Eulerian and semi-Eulerian graphs	



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		• The route inspection algorithm for graphs with 2 or 4 odd vertices
	Flow	<ul> <li>The language and notation of flow</li> <li>Cuts and calculating their value</li> <li>Finding and improving flow patterns including using the maximum flow minimum cut theorem</li> </ul>
	Linear Programming	<ul> <li>Formulating linear programming problems</li> <li>Graphing linear programming problems</li> <li>Using the objective line method and vertex testing to solve linear programming problems including finding integer solutions when required</li> </ul>
Half term 3	Game Theory	<ul> <li>The concept of a zero sum game</li> <li>Play safe strategies, stable solutions, reducing a payoff matrix and determining the optimal mixed strategy for a game with no stable solution</li> </ul>
	Allocation	<ul> <li>The Hungarian algorithm and how to apply it</li> <li>How to adapt a non-square allocation problem, a maximise problem, a problem with incomplete data or a mix of the about to use the Hungarian algorithm</li> </ul>
	Linear transformations	<ul> <li>Using matrices to represent linear transformations in 2-D and 3-D</li> <li>Invariant points and invariant lines</li> </ul>
	Proof by induction	• The principle of proof by induction and how to apply it to prove results about sums of series, divisibility and matrices
	Roots of Polynomials	<ul> <li>The relationships between the roots and coefficients of quadratic, cubic and quartic equations</li> <li>Applying linear transformations to roots of polynomials</li> </ul>
Half term 4	Vectors	<ul> <li>The vector and Cartesian forms of an equation of a straight line in 3-D.</li> <li>The vector and Cartesian forms of the equation of a plane.</li> <li>The scalar product and use it to express the equation of a plane, and to calculate the angle between two lines, the angle between two planes and the angle between a line and a plane</li> <li>To check whether vectors are perpendicular by using the scalar product.</li> <li>Find the intersection of a line and a plane.</li> </ul>



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		• Calculate the perpendicular distance between two lines, from a point to a line and from a point to a plane.
	Volumes of revolution	<ul> <li>Calculating volumes of revolution for curves rotated around the x and the y axis, limited to Integrating functions of the form x<sup>n</sup> (excluding n = -1) and related sums, differences and constant multiples</li> </ul>
Half term 5	Revision	Topic revision progressing to complete papers
	Further Algorithms on Networks	Floyds algorithm
Half term 6	Further Route Inspection	The route inspection algorithm for graphs more than 4 odd nodes
	Travelling Salesman	<ul> <li>The practical and classical travelling salesman problems</li> <li>Determining upper and lower bounds using minimum spanning tree methods</li> <li>The nearest neighbour algorithm</li> </ul>
	Simplex Algorithm	<ul> <li>Formulating linear programming problems for use with the simplex algorithm including the use of slack, surplus and artificial variables</li> <li>The Simplex algorithm and tableau for maximising and minimising problems with ≤ constraints</li> <li>The two-stage Simplex and big-M methods for maximising minimising problems which may include both ≤ and ≥ constraints</li> </ul>